Hidden Test Cases, Assert, Functions, Headers and Namespaces, Stepwise

Informatik I - Exercise Session

Refinement, Past Exam Questions

[code]expert Changes

Hidden test cases:

- Success as usual
- Failure: in- and output are hidden for you
- Edge cases, special values, ...

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- Edge cases, special values, . . .

Persistent input:

- 1. Save inputs in file input.txt
- 2. Run program
- 3. Type f (without spaces, stands for "file") and then enter
- 4. The contents of the file input.txt are read and the corresponding outputs displayed

The persistent input is only for you and won't impact your score.

Debugging with Assert

Table with explanation for exit codes:

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We have done some debugging using print statements; there is a more elegant way using assert:

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assert(true); // does absolutely nothing and continues
assert(false); // 'crashes', i.e. exits immediately with code -6
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asserts can be useful

- to have better overview in long programs,
- to catch wrong (user) inputs that could lead to erroneous/undefined behaviour,
- to document (for multi-person projects),
- or to enforce pre- and post-conditions.

Functions

Program tracing tutorial:

https://lec.inf.ethz.ch/ifmp/2024/guides/tracing/calls.html

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Don't add using namespace std; to your files to avoid these collisions; the namespace std is defined by the C++ standard library and contains many things you don't want to mess with. Additionally, when writing namespace::function(), it is clear for everyone instantaneously what function from what namespace the code calls.

Remark to Type and Value Questions: The keyword auto means that the type of the expression is determined by the compiler. In the following it thus stands for the expression type that you need to identify.

1. Provide type and value of variable c.

```
1 int a = 5;
2 int b = 1;
3 auto c = (9 * a + b) % a;
```

```
int a = 5;
double b = 1;
auto c = (9.0 * a + b) / a;
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int.1

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Answer the following questions regarding the normalized floating point system F*.

$$F^*(\beta = 2, p = 3, e_{\mathsf{min}} = -1, e_{\mathsf{max}} = 4)$$

Reminder: For F*, the precision (number of digits) includes the leading bit.

- 1.25 can be represented exactly in the floating point system F*.
- There is no number $Z \in F^*$ such that 0.0625 < Z < 0.25.
- 3.25 can be represented exactly in the floating point system F*.

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int sum = 17;
int i = 1;

do {
   i += sum;
   sum = sum / 2;
} while (i > sum && sum >= 0);

std::cout << sum;</pre>
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best?

- 0 17
- 0 8
- O Never terminates
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 - \Rightarrow i > sum is always true